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The Abstract State Machines Method

for Modeling and Analysis of Software-Based Systems

An introductory survey of main concepts and characteristic results¹

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What the ASM method is about

PROBLEM: still frequently experienced *mismatch* between
human understanding and formulation of real-world problems

by domain experts and system designers

and deployment of problem solutions by code-executing machines
 – on changing platforms

To bridge the gap bw those two ends of system development

- the ASM method provides a practicable, mathematically well-founded systems engineering framework for
 - the construction of reliable computer-based systems
 - their reliable use
 - their cost-effective change management
 - which are objectively and *effectively controllable* (certifiable)

Wide-spectrum method vs special-purpose technique

- Consequently the ASM method
- is NOT a special-purpose technique
 - like static analysis, bytecode verification, model checking, theorem proving, run-time verification, etc., which draw their success from being tailored to particular types of problems at specific (usually technically detailed if not code) levels of abstraction
- in particular is NOT a 'formal' method
- but is a wide-spectrum method
 - assisting system engineers in every aspect and at any level of abstraction of an effectively controllable construction of reliable computer-based systems
- Nevertheless the ASM method
- allows one to integrate special-purpose sw engg techniques
- can be tailored to application domain languages

The gap: how to match requirements and code?

- Requirement docus: descriptions of real-world problems/activities
 - written by domain experts *for system designers* who typically are not knowledgeable in the application domain
 - $-\operatorname{in}$ natural lg, interspersed with diagrams, tables, formulae, etc.
 - frequently suffer from incompleteness (implicit assumptions), lack of precision (ambiguity) or inconsistency
- Compilable programs: software representations of solutions
 - written *for mechanical elaboration* by machines coming with technically detailed precision, completeness, consistency

—THE PROBLEM:-

- How can (informal) requs & (formal) code (written to satisfy the requs) be linked to certifiably guarantee that the code does what the requs describe and not something else?
- How can the link bw requirements and their implementation be reliably preserved during maintenance (*design for change*)?

What the ASM method offers to 'bridge the gap'

a precise general language with a validation/verification framework

 practicing domain experts & system designers can use in daily work to formulate, justify, document *prior to implementing accurate models* of real-world problems
 to solve the ground model problem

 a rigorous general design and verification method

- practicing system designers and implementers can incorporate into their development environment
- to successively/incrementally detail, controllably correct and traceably, hierarchies of model abstractions

refining ground models to running system behavior models

to solve the verified software problem

(called also certifiable implementation or refinement problem)

Characteristics of the ASM Method

- Supports, within a single *precise yet simple conceptual framework*, and uniformly integrates the following activities/techniques:
- the major software life cycle activities, linking in a controllable way the two ends of the development of complex software systems:
 - requirements capture by constructing rigorous ground models
 - architectural and component design bridging the gap between specification and code by *piecemeal, systematically documented detailing* via stepwise refinement of models to code
 - documentation for *inspection*, *reuse*, *maintenance* (change management) providing, via intermediate models and their analysis, explicit descriptions of *software structure* and major *design decisions*
- the principal modeling and analysis techniques
 - -dynamic (*operational*) and static (*declarative*) descriptions
 - -validation (simulation) and verification (proof) methods at any desired level of detail

The three fundamental constituents of the ASM method

- 1. ASMs: an FSM-extension to let communicating agents compute concurrently over 'most general' states (Tarski structures)
- 2. ASM ground models: accurate description of requirements
 - at *application-domain-determined* abstraction level
 - expressed using rigorous natural lg 'templates' (ASMs)
 - providing *authoritative* reference for system lifecycle activities
 - *evaluatable* via analysis— testing/inspection(reasoning)/review process—to certify consistency, correctness, completeness properties supporting precise, documented & inspectable high-level design
- 3. ASM refinements: linking series of detailed design/coding decisions in an organic & effectively maintainable chain of rigorous, coherent system models leading to code
 - refinement links must guarantee that ground model system properties are preserved via series of design decisions —and document this for maintenance (reuse and change management)

How ASMs describe behavior (of ground/design models)

- ASMs describe when and how to change a state yielding the next state
 state given at whatever level of abstraction (requs/design/implemtn)
 sets of whatever objects with predicates/operations defined on them
 state change by local actions which update some state components directly, at that level of abstraction, without extraneous encoding
- ASMs use only the *fundamental* if ... then -- template of commands (also of reasoning) in natural and scientific language (called *rules*):
- **if** GivenSituation **then** PERFORMACTION -- Draw Conclusion
- GivenSituation describes any trigger/event/stateProperty that guards the execution of the action // resp. implies the Conclusion
- PERFORMACTION consists of finitely many data changes f := exp which update (the value of) object f to (the value of) exp
 - Objects may be parameterized as f(e) or $f(e_1, \ldots, e_n)$ with arbitray expressions e, e_i

ad 1. Notion of Finite State Machine

FSM =	this is an interpreter scheme
if $Defined(in)$ then	do in parallel!
$ctl_state := \delta(ctl_state, in)$	static function δ
$out := \lambda(ctl_state, in)$	static function λ

FSMs come with four characteristic restrictions:

• only three locations, all 0-ary (variables without parameters):

- -in: monitored (only read by FSM, but written by environment)
- *ctl_state*: *controlled* (read and written by FSM)
- *out*: *output* (only written by FSM, but read by environment)

• only three special data types: finite sets of

- -input/output symbols (letters of an alphabet)
- control states (labels/integers) representing bounded memory
- only two auxiliary (furthermore static) functions δ, λ
- strict separation of input (read) and output (write) locations

ASMs generalize **FSM** states, permitting:

- to read and update in each step simultaneously (synch. parallelism)
 - arbitrarily many possibly parameterized locations
 - memory locations (I,val(params)) of array variables I(params)
 - -location values of arbitrary type
- to have arbitrary conditions as rule guard (not only input definedness)
 to have (not 2 but) arbitrarily many simultaneously executed updates
 to provide env with whatever needed auxiliary functions

This leads to the definition: ASM = finite set of instructions ('rules')

if Cond then Updates

- Updates: set of (simultaneous) assignments $f(t_1, \ldots, t_n) := t$
- $Cond, t_1, \ldots, t_n, t$: arbitrary exps ('formulae/terms')
- Top-level, visualizable FSM $ctl_state/phase/mode$ structure yields hierarchical system decomposition means into components

Generalized classification of locations/functions



supporting the separation of concerns: information hiding, data abstraction, modularization and stepwise refinement

Structuring abstract state memory into function tables

For each array variable l and each occuring length m of parameters of l: group the subset of its *locations* (l, (a₁, ..., a_m)) of length m
i.e. location name and values arg of parameter sequences of length n
This yields a *table* representation of those memory locations:

 $\left| l \right| (l, arg_1) \left| \dots \right| (l, arg_m)$

Associate a value l(arg) to each table entry (l, arg)

This yields a function table, i.e. a table which defines an n-ary function l, where l(arg) represents for the given argument the uniquely determined value which is currently contained in location (l, arg):

$$l \mid l(arg_1) \mid \dots \mid l(arg_m)$$

For simple variables (case n = 0) we write l

Example: Table representation of FSMs (states & pgm)

$$\operatorname{FSM}(in, out, \delta, \lambda) = \begin{cases} ctl_state := \delta(ctl_state, in) \\ out := \lambda(ctl_state, in) \end{cases}$$

· · ·	ctl_state/in	a_1	• • •	a_m
ctl_state	1	$\delta(1, a_1)$	• • •	$\delta(1, a_m)$
in				
out	n	$\delta(n \ a_1)$		$\delta(n, a_{m})$
	11	$ 0(n, u_1) $	•••	$ 0(n, u_m) $

Similarly for the λ function in instructions (i, a, b, j).

This representations permits to *exploit sophisticated table manipulation and documentation* techniques (Parnas).

ASM states are Tarski structures

Via the structuring of ASM memory locations one can view an
ASM state as a set of function tables
ASM step as changing some values in some of these tables
ASM = FSM operating over function tables

In logic a function table for a function with name l is called an interpretation of function symbol l. Treating predicates by their characteristic functions yields:

Tarski structure = a set of tables ASM = FSM operating over Tarski structures

NB. Structures of only functions are also called algebras.

ASM locations are not flat:

- their values can be structured complex objects of any type: records, documents, files, folders, images, sounds, movies, Web pages,...
- permit uniform combination of control, communication, data, resources

In fact Tarski structures represent a most general notion of structure
the structures of mathematics are Tarski structures
the models of abstract data types are Tarski structures
classes (class instances) of oo pgg lgs are Tarski structures
states of Virtual Machines are Tarski structures

. . .

Important subclass of ASMs: Control State ASMs

Control State ASM = ASM all of whose rules have the form

if $ctl_state = i$ and cond then $\begin{aligned} rule \\ ctl_state := j \end{aligned}$



control-states i, j, \ldots represent an overall system status (mode, phase), which allows the designer to

- structure the set of states into subsets
 - visualize this overall structure

refine control-state transitions by control-state submachines (modules)
 – sequentializing (overall parallel) control where needed

Control State ASMs rigorously capture UML activity dgms

- UML event driven activity diagram scheme:
 - If a certain event (situation) takes place, perform an action and proceed
- control-state ASMs provide a general, mathematically rigorous, abstract meaning of:
 - *situation*: configuration of whatever items/data (abstract state) rigorously expressed by rule guarding *cond*itions
 - action: change of the configuration of some items (state transition/update) rigorously expressed by ASM transition rules
 - proceed: rigorously expressed by ctl_state update
- NB. Each (synchronous) UML activity diagram can be built from alternating branching and action nodes of the control-state ASM diagram form (for each of the synchronized agents)
- See the ASM-based framework built at U of Ulm for rigorous UML diagrams (Saarstedt, Guttmann, Raschke et al.)

Notation for non-determinism and parallelism

- **selection functions** (describing non-determinism) supported by dedicated notation for $rule(select \{x : \varphi(x)\})$:
 - **choose** x with φ in rule
 - to execute rule for one element x, which is arbitrarily chosen among those satisfying the selection criterion φ
- symmetric notation to enhance synchronous parallelism:
 - forall x with φ do rule
 - to execute rule simultaneously for every element x satisfying φ
- Allow for standard notations, e.g. let x = t in M.
- The parallel ASM execution model
- easens specification of macro steps (by modularization and refinement)
 avoids unnecessary sequentialization of independent actions
 easens parallel/distributed implementations

Role of abstraction, parallelism, operational character

- abstraction enables to
 - represent *whatever objects* of discourse DIRECTLY, as is
 - focussing on their application-specific properties and operations
 - controlling encoding of data structures by dedicated refinements
 - compose systems out of components with precise interfaces
 - reuse models to capture requirements changes
- parallelism makes independence of actions explicit
 - abstracting from behaviorally irrelevant sequentialization
 - easens specification of macro steps (modularization/refinement)
 - supports distributed implementations & performance optimization by multi-threading
- operational character provides executability of models
 - both conceptual (for analysis) and mechanical (for experiments, testing and monitoring system behavior)

From seq in/out-focus to communication & concurrency

Replace sequential runs

- of stepwise sync in/output interaction of a single FSM with its env
- by concurrent runs of multiple $a \in Agent$ with pgm ASM_a
- components are event-triggered & discrete (env can be continuous)
- Agent and program assignment ASM_a are *dynamic*
 - e.g. add/delete agents and/or modify their programs to model dynamic networks with changing nodes or node functionality
- components interact asynchronously using communication
 - at a priori unpredictable moments (there is no global clock)
 - for a priori unpredictable reasons (interrupts, service requests, etc.)
 state comprises in/out-mailbox actions SEND, RECEIVE
 - actions of communication medium separated from internal actions or synchronously via shared functions. See Boerger/Schewe in https://link.springer.com/journal/236/53/5

When Agent and program association to agents are dynamic, ASM rules may add/delete agents and/or modify their programs

• Exl from a Web Apps Infrastructure model:

DOM(r) := initialDOM

 $agents(r) := \{a, b\}$ NB. agents a, b are deleted when the browsing context is stopped

ad 2. What are ground models?

- Accurate blueprints of the to-be-implemented piece of real world —called 'golden models' in the semiconductor industry—which
- define 'the conceptual construct/the essence' of the software system (Brooks) prior to coding, *abstractly and rigorously*
 - at an application-problem-determined level of detailing (*minimality*)
 - formulated in application domain terms (*precision*, informal accuracy)
 - authoritatively for the further development activities: design contract/process/evaluation and maintenance (*simplicity*)
- ground the design in reality by justifying the definition as
 - *correct*: model elements reliably convey original intentions
 - *complete*: every semantically relevant feature is present (env,arch, domain knowledge), no gap in understanding of 'what to build'
 - *consistent*: conflicting objectives in requirements resolved
- NB. Poor requirements are number one cause of project failures!

Ground model justification must solve three problems

- Communication (language) problem: mediate between
 - sw designers, domain experts and customers for common understanding prior to coding of 'precisely what to build'
 - problem domain and world of models, requiring
 - capability to calibrate degree of model precision to the problem
 - general data and operation framework and general interface concept (to represent system environments)
- Evidence problem: no infinite regress
 - no math. transition from informal to precise descriptions, BUT
 - inspection can provide evidence of direct correspondence bw ground model and reality the model has to capture (completeness, correctness, empirical interpretation of extra-logical terms)
 - -domain-specific reasoning can check consistency issues
- Validation problem: need for repeatable experiments to validate (falsify) model behaviour (runtime verification and analysis, testing)

Variety of real-life ASM ground models (1)

- industrial standards: ground models for the standards of – AODV routing protocol (2018)
 - -OMG for BPMN 2.0: Kossak et al.(Springer book 2014)
 - -OASIS for BPEL: Farahbod et al. ASM'04 and IJBPMI 1 (2006)
 - -ECMA for C#: Börger, Fruja, Gervasi, Stärk: TCS 336 (2006)
 - -ITU-T for SDL-2000: Glässer, Prinz et al. 1998-2003
 - IEEE for VHDL93: Müller, Glässer, Börger:1994-1995
 - ISO for Prolog: Börger, Rosenzweig: 1991-1995
- design, reengineering, testing of industrial systems:
 - railway & mobile telephony network component sw (at Siemens)
 - fire detection system sw (in German coal mines)
 - implementation of behavioral interface specifications on the .NET platform and conformence test of COM components (at Microsoft)
 - business systems interacting with intelligent devices (at SAP)

programming lgs: semantics/implementation of major pgg lgs, e.g.

- Prolog (Quintus), SystemC, Java/JVM including bytecode verifier (SUN), C# (Microsoft)
- domain-specific languages (UBS Switzerland)
- with KIV/PVS verification of compilers/compiler back-ends (DFG)
- architectural design: verification of pipelining schemes & VHDL-based hw design (Siemens), architecture/compiler co-exploration
- protocols: for authentication, cryptography, cache-coherence, routing-layers for mobile ad hoc networks, group-membership, etc.
- modeling e-commerce, workflows, business processes, web services, web apps infrastructure (at SAP and Metasonic)

memory systems (Java, Cassandra)

6 fundamental questions for building ground models

The ASM method suggests to ask the following 6 questions when building a ground model as 'models of the system's intended behaviour'
called *golden model* in the International Technology Roadmap for Semiconductors (2005)

1. Who are the system agents and what are their relations? What is the relation between the *system* and its *environment*?

- 2. What are the system states?
- What are the domains of objects and what are the functions, predicates and relations defined on them? (object-oriented approach to system design)
- What are the static and the dynamic parts (including input/output) of states?

- **3.** How and by which transitions do system states evolve?
- Under which conditions (guards) do the state transitions (actions) of single agents happen and what is their effect on the state?
- What is supposed to happen if those conditions are not satisfied? Which forms of *erroneous use* are to be foreseen and which *exception handling* mechanisms should be installed to catch them? What are the desired *robustness* features?
- How are the transitions of different agents related? How are the internal actions of agents related to external actions of the environment?

- 4. What is the initialization of the system and who provides it? Are there termination conditions and, if yes, how are they determined? What is the relation between initialization/termination and input/output?
- **5.** Is the system description complete and consistent?
- 6. What are the system assumptions and what are the desired system properties?
- At the level of transitions this question can be formulated and dealt with in terms of pre-/postconditions (assume/guarantee scheme)

ad 3. ASM Refinement for Management of Design Decisions

Refinement is a general methodological principle:

- piecemeal de-/composition of a system into/from constituent parts which are treated separately and combined to manage complexity
- goes together with the inverse process of abstraction
- ASM refinements exploit the availability in ASMs of arbitrary structures to directly reflect states/operations to
- support divide-and-conquer techniques for system design and analysis
 - -without privileging one to the detriment of the other
- allow the designer to tailor refinement/abstraction pairs which
 - faithfully reflect a design decision or reengineering idea
 - provide means to *justify an implementation* as 'correct'
 - linking—thru various levels of abstraction—the system architect's view (blueprint) to the developer's view (implementation)
 - support design *communication*, design *reuse* and system
 maintenance thru accurate, precise, indexed and searchable docu

ASM refinements offer freedom to choose notions of:

- abstract/refined state
- **states of interest** and correspondence by pairs (S, S^*) of abstract/refined states of interest
- abstract/refined computation segments of m/n single abstract/refined steps τ_i/σ_j leading from/to corresponding states of interest
- *locations of interest* and *corresponding* abstract/refined locs of interest
 equivalence of values in corresponding locations of interest



capture orthogonalities by modular (maintainable) components

 separate orthogonal design decisions, relate different system aspects
 construct hierarchical levels (cost-effective system maintenance) for

- horizontal piecemeal extensions and adaptations (*design for change*)

- e.g. of ISO Prolog model by constraints (Prolog III), polymorphism (Protos-L), narrowing (Babel), o-orientation (Müller), parallelism (Parlog, Concurrent Prolog), abstract execution strategy (Gödel)
- (provably correct) vertical stepwise detailing of models (*design for reuse*) to their implementation, e.g. model chains leading from
 - Prolog to WAM (13 levels), Occam to Transputer (15 levels), Java to JVM (5 horizontal, 4 vertical levels), C# to CLR

reuse justifications (proofs/run experiments) for system properties

-e.g. reusing Prolog-to-WAM compiler correctness proof for IBM's CLP(R)-to-CLAM, Protos-L-to-PAM, Java to C#, etc.

Java2JVM exl for horizontal/vertical ASM refinements



horizontal (incremental) refinement of components (conservative extensions) supports componentwise design, validation, verification
 vertical refinement from spec to implementation: Java →_{compile} JVM via horizontally refined *compile* with appropriate parameterization

Mechanical Verification Technology Transfer Challenge

- *Starting from* the structured and high-level ASM definition of Java and of its implementation on the Java Virtual Machine
- *Verify*: Theorem. Under explicitly stated conditions, any well-formed and well-typed Java program:
- upon correct compilation
- passes the verifier
- is executed on the JVM
 - without violating any run-time checks
 - correctly wrt Java source pgm semantics
- in a way that can be applied by language developers, e.g. reused for language extensions: $C#, \ldots$
- integrating verification into feature-based devpmt of sw product lines
- see Batory/Börger in J.UCS 14.12 (2008) http://www.jucs.org/ jucs_14_12/modularizing_theorems_for_software

Examples:

- Prolog2WAM compiler correctness theorem (Börger/Rosenzweig 1995) verified in KIV (Schellhorn/Ahrendt J.UCS 3.4 (1997) http://www. jucs.org/jucs_3_4/reasoning_about_abstract_state)
- First full mechanical verification of *Mondex electronic purse* using KIV (Schellhorn et al. LNCS 4085 etc.)
 - extended to include treatment of security issues and coding of the protocol (in Java)
- AsmTP verification of *thread handling properties for C*# interpreter model (Stärk in TCS 343, 2005)

Simple refinement exl: refining FSM to 2-Way FSM

- The *in*put location is extended to a tape where the input reader can • Move its current head Position // by instructions (i, a, b, m, j)• read the current input location in(head).
- $\begin{aligned} \mathbf{TwoWayFSM}(in, out, \delta, \lambda, Move, head) = \\ \mathbf{FSM}(in(head), out, \delta, \lambda) \ // \text{ parameterize locn } in \text{ by } head \\ head := head + Move(ctl_state, in(head)) \ // \text{add new rule} \end{aligned}$

Correspondingly we extend the table representation of FSMs:

ctl_state	ctl_state/in	a_1	• • •	a_m
head	1	$Move(1, a_1)$	• • •	$Move(1, a_m)$
in(head)	•••			
out	n	$Move(n, a_1)$	• • •	$Move(n, a_m)$

Exl: refining 2-Way FSM to (Interactive) Turing Machine

$$\begin{split} \mathbf{T} \mathbf{W} \mathbf{O} \mathbf{W} \mathbf{A} \mathbf{Y} \mathbf{F} \mathbf{S} \mathbf{M}(in, out, \delta, \lambda, Move, head) = \\ \mathbf{F} \mathbf{S} \mathbf{M}(in(head), out, \delta, \lambda) \\ head &:= head + Move(ctl_state, in(head)) \end{split}$$

Merge read and write locations on a unique tape: in=out $TM(tape, \delta, \lambda, Move, head) =$ TWOWAYFSM(*tape*, *tape*(*head*), δ , λ , *Move*, *head*) Dynamic state reduced to $\ldots i a \ldots$ tape ctl_state head INTERACTIVETM(input, ...) =-- data refine $\delta, \lambda Move$ by monitored param *input* $TM(tape, \delta_{input}, \lambda_{input}, Move_{input}, head)$ $OUTPUT(input, ctl_state, tape(head))$ -- add external output rule

ASM characteristics: a coherent divide-and-conquer approach

capture orthogonalities by modular (maintainable) components

- separate multiple concerns, concepts and techniques

- choose for each task appropriate engineering methods
 - at the level of abstraction and precision where the task occurs

construct hierarchical levels for

- horizontal piecemeal extensions and adaptations (*design for change*)
- vertical stepwise detailing of models (*design for reuse*) to their implementation in a provably correct way
- combine design and analysis in a consistent way, integrating
 - *mathematical verification* by a variety of reasoning techniques
- *experimental validation* of system behaviour through simulation (model-checking, run-time verification, testing) of rigorous models
 reuse justifications (proofs) for system properties, e.g. Batory/Börger http://www.jucs.org/jucs_14_12/modularizing_theorems_ for_software

ASM Analysis Techniques (Validation and Verification)

- Practitioner supported to analyze ASM models by reasoning and experimentation at the appropriate degree of detail, separating
- orthogonal design decisions and complementary methods: abstract operational vs declarative/functional/axiomatic, state- vs event-based
- design from analysis (definition from proof)
- validation (by simulation) from verification (by reasoning)
 - -e.g. ASM Workbench (ML-based, DelCastillo 2000), AsmGofer (Gofer-based, Schmid 1999), XASM (C-based, Anlauff 2001), AsmL (.NET-based, MSR 2001), CoreASM (since 2005) https://github.com/CoreASM, Asmeta (Milan/Bergamo)
- verification levels (degrees of detail)
 - reasoning for human inspection (design justification)
 - rule based reasoning systems (e.g. Stärk's Logic for ASMs)
 - $-\operatorname{interactive}$ proof systems, e.g. KIV, PVS, Isabelle, AsmPTP
 - automatic tools: model checkers, automatic theorem provers

Models and methods in an ASM-based development process



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- See also Sect.2 of E. Börger: Why Programming Must Be Supported by Modeling and How.
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- For the other sources mentioned in the slides one can find exact references in the three books quoted above.

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